

CS 369: Introduction to Robotics

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Spring 2026



Admin

- Lab 2 due tonight
- Lab 3 posted (due next Tuesday)

Outline for today

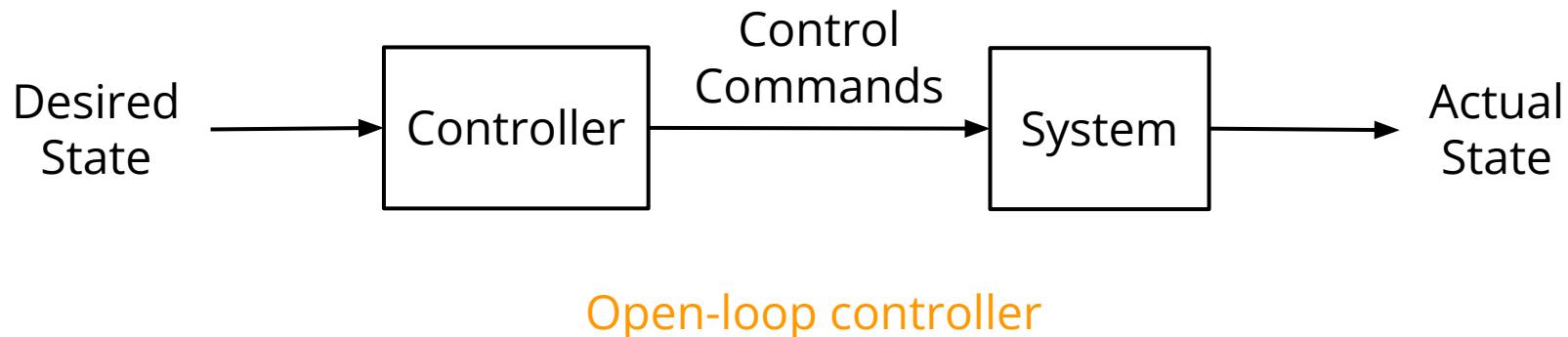
- Controllers
- PID control

Outline for today

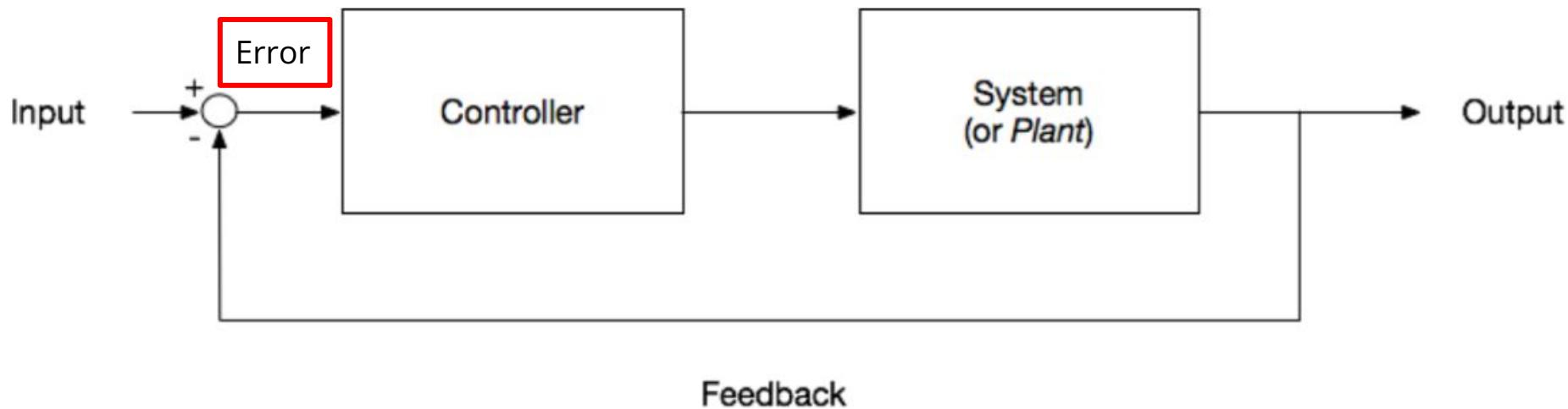
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Controllers

Control the robot's movement by sending signals to the robot motors.



Feedback controller

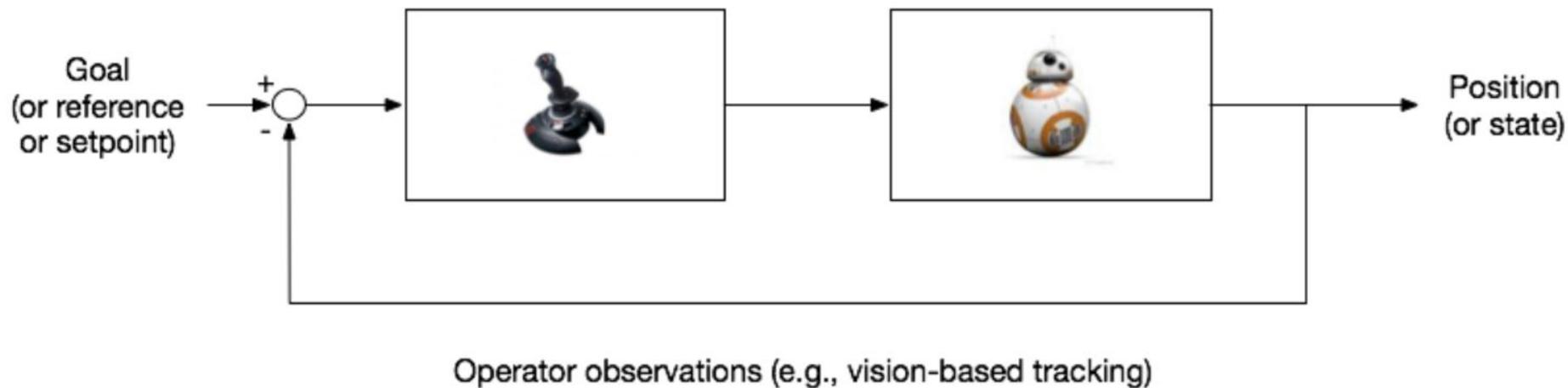


Feedback controller example



Goal (or reference or input)

Feedback controller example

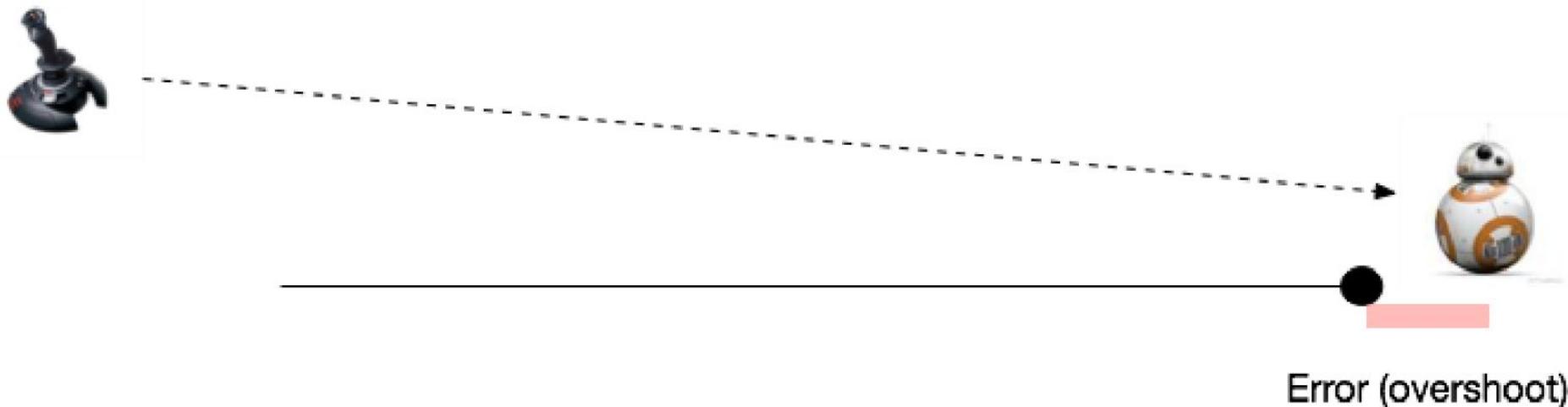


Feedback controller example

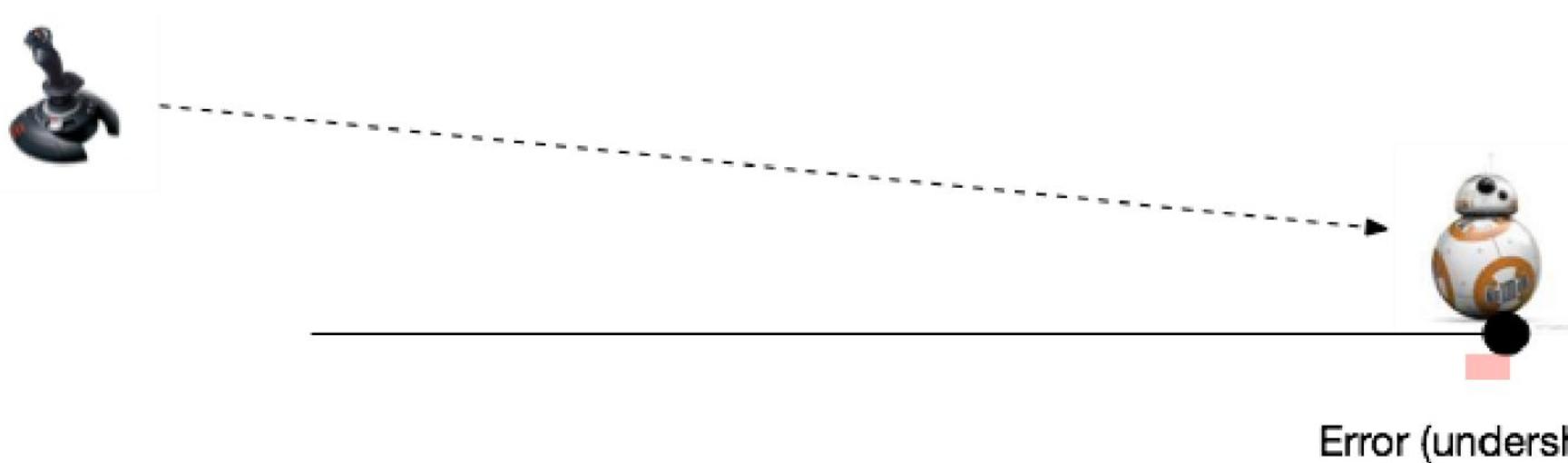


Error between current position and desired position (or goal)

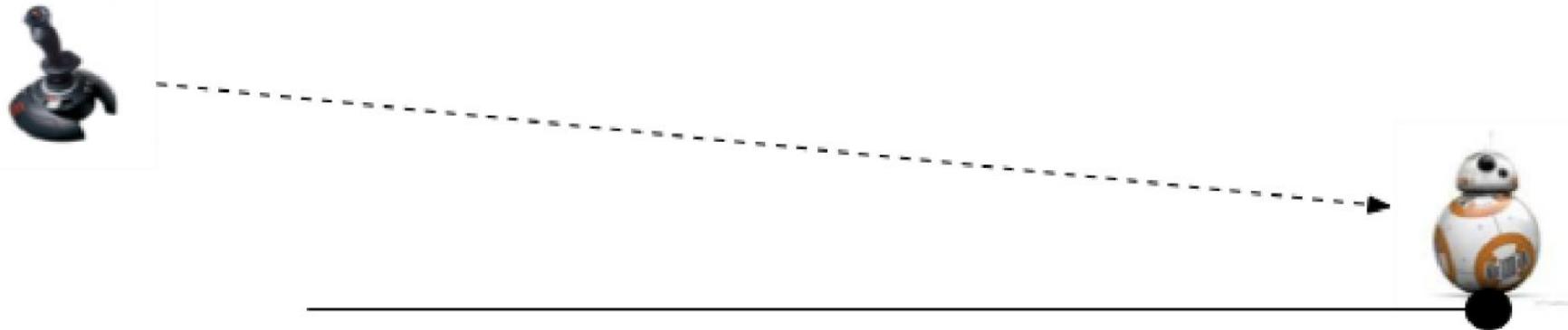
Feedback controller example



Feedback controller example

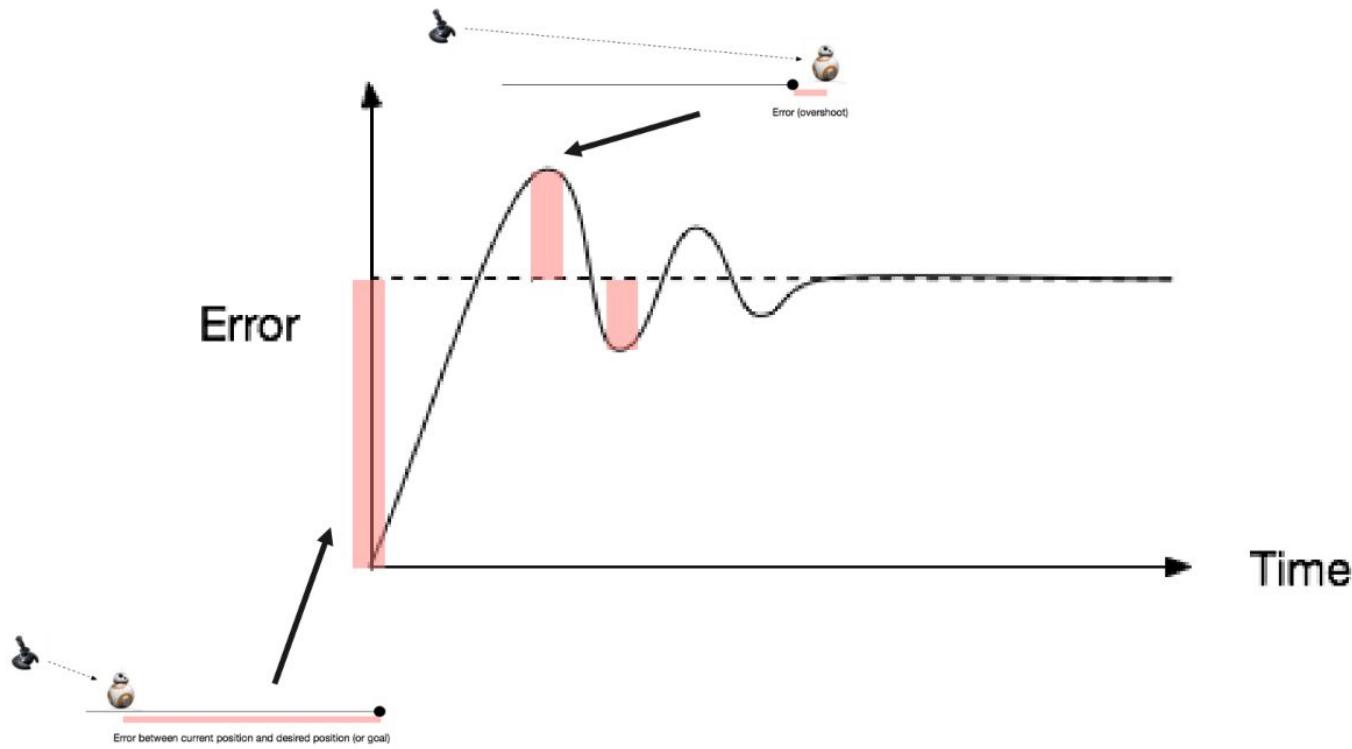


Feedback controller example

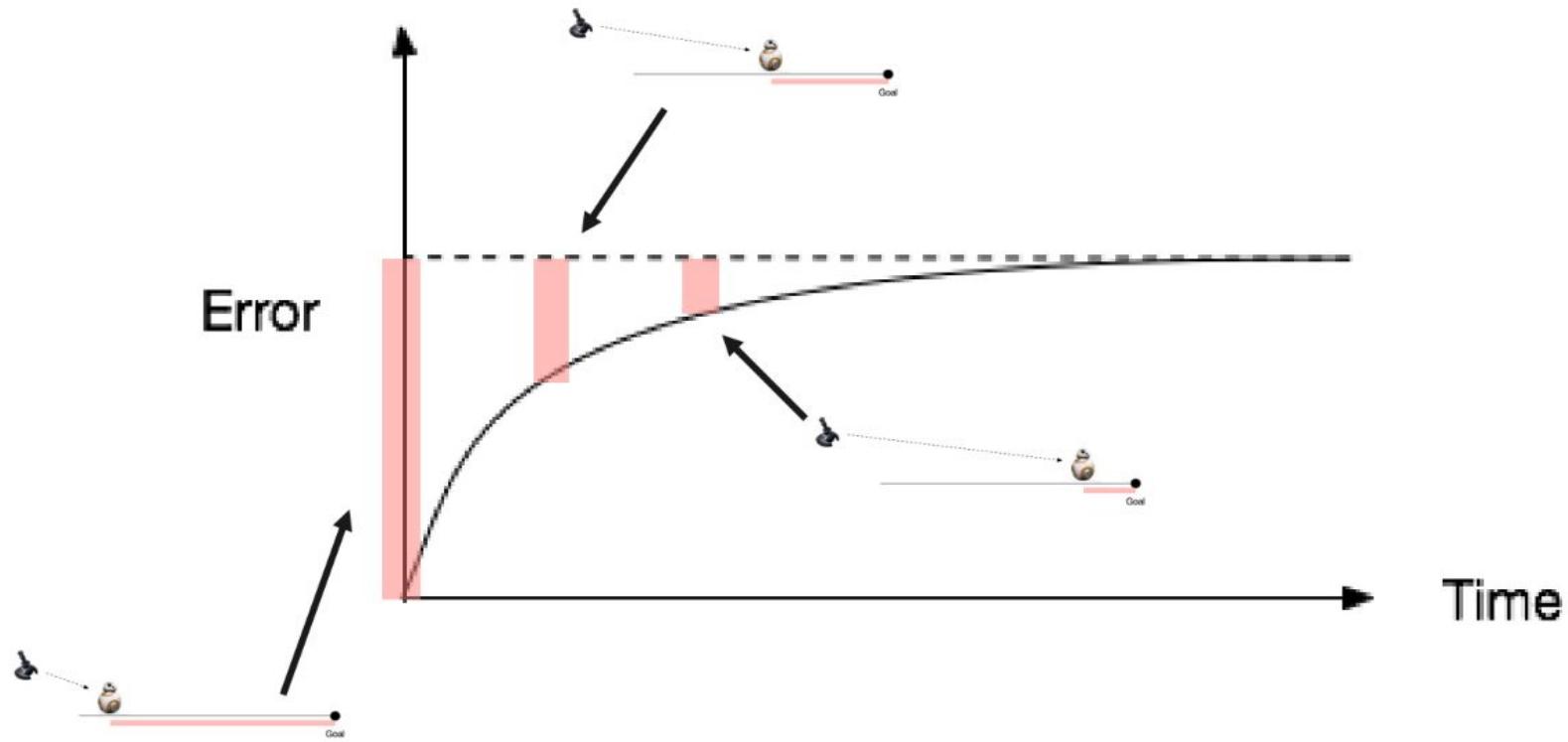


Converge to goal

Feedback controller example



Feedback controller example



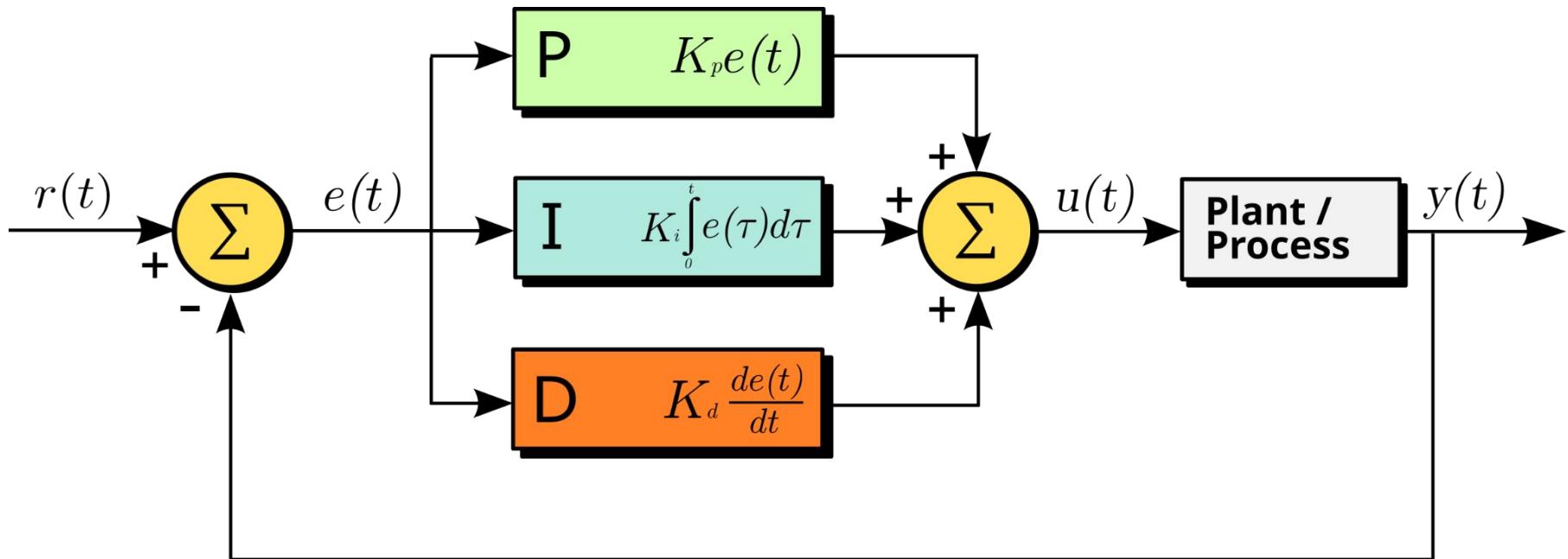
Controller evaluation

- Rise time: time taken to reach (~90% of) goal
- Settling time: time for output to stay within a tolerance of the goal
- System stability
- Overshoot

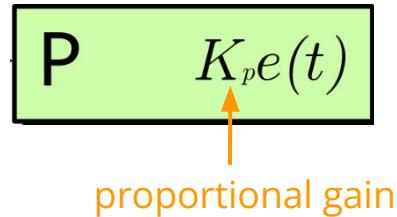
Outline for today

- Controllers
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Proportional–integral–derivative controller



Proportional term



- Directly proportional to the current error
- Provides correction based on how far the system is from the goal
- $\uparrow K_p$: \downarrow rise time, \uparrow overshoot

Integral term

$$I = K_i \int_0^t e(\tau) d\tau$$

- Considers the cumulative sum of past errors
- Eliminates steady-state error
- $\uparrow K_i$: \uparrow overshoot

Derivative term

$$D \quad K_d \frac{de(t)}{dt}$$

- Predicts future error by assessing the rate of change of the error
- Mitigates overshoot and enhances system stability

Tuning

- Parameters/gains must be adjusted for each control application
- Manual tuning:
 - set K_i and K_d values to zero
 - increase K_p until the output oscillates, then set K_p to half that value
 - increase K_i until any steady-state offset is corrected in sufficient time
 - increase K_d until the output stabilizes in sufficient time